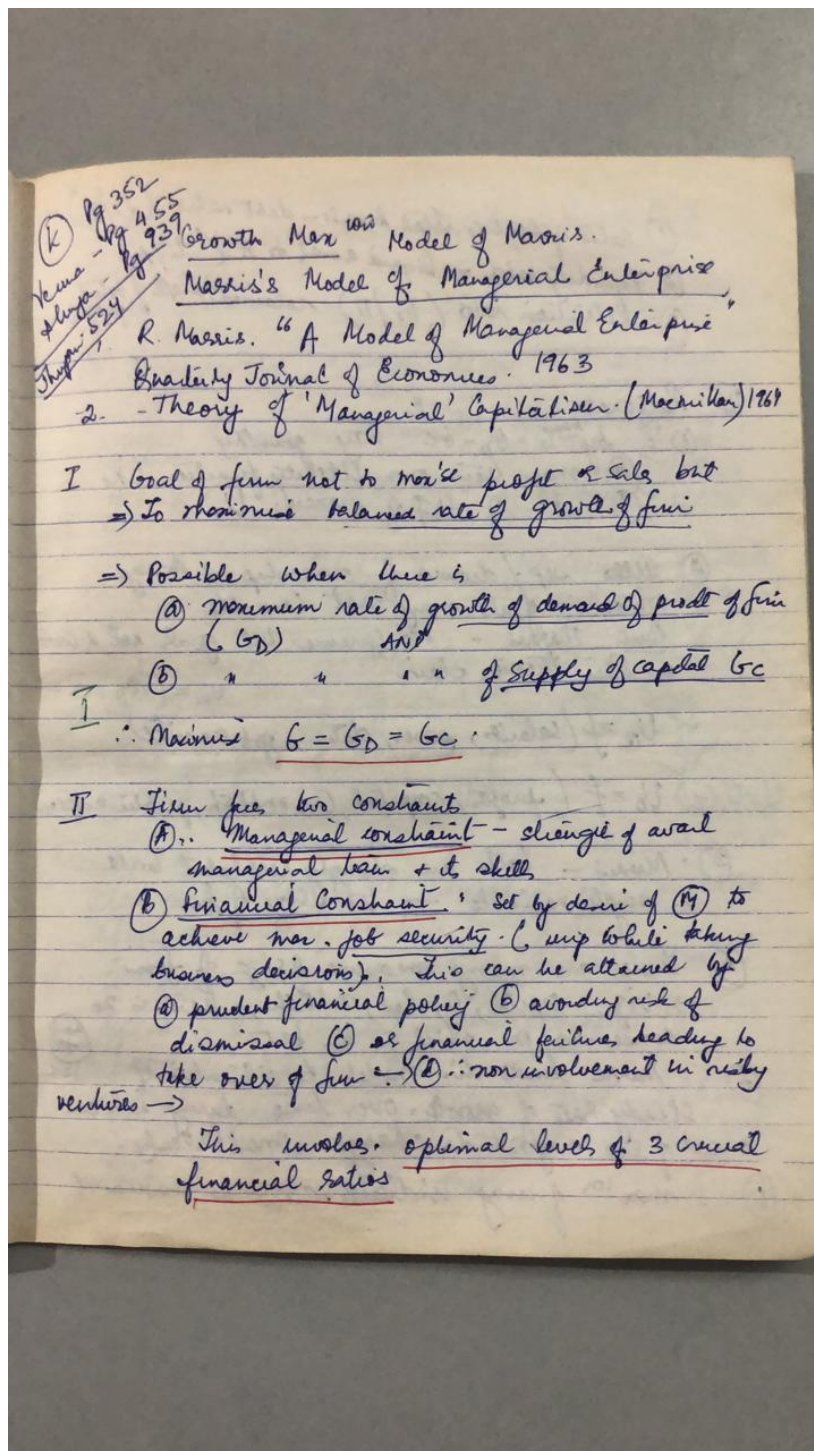
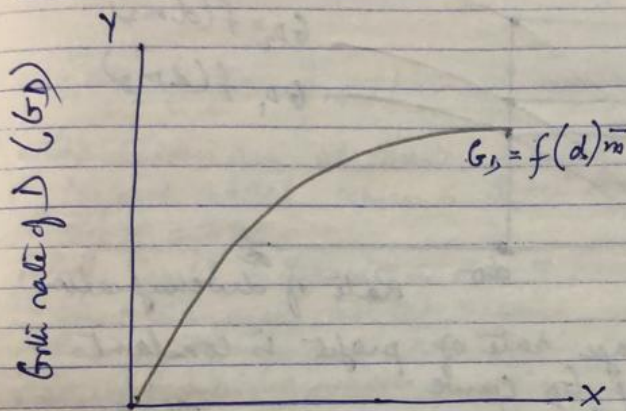


Economics classes by Nandini Mehta
 For MA Sem 2
 Theories of the Firm
 Maria's Model of Managerial Enterprise



- ① sales of debt to total assets - debt ratio. (D/A)
- ② liquidity ratio - liquid assets to (L/A)
- ③ retention ratio. (Π/P) retained profits / total profits

$\therefore G_D$ can be expressed as
 $G_D = f(d, m)$



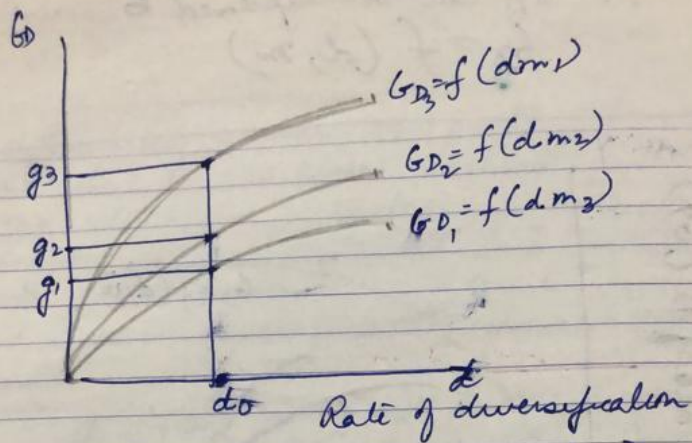
Rate of diversification (d) (Koutsouris)
 Pg 358-359

[$G_D = f(d, m)$

$\frac{\partial G_D}{\partial d} > 0$ (but declining) [increasing
 fr.]

$\frac{\partial G_D}{\partial m} < 0$ [decreasing
 fr.]

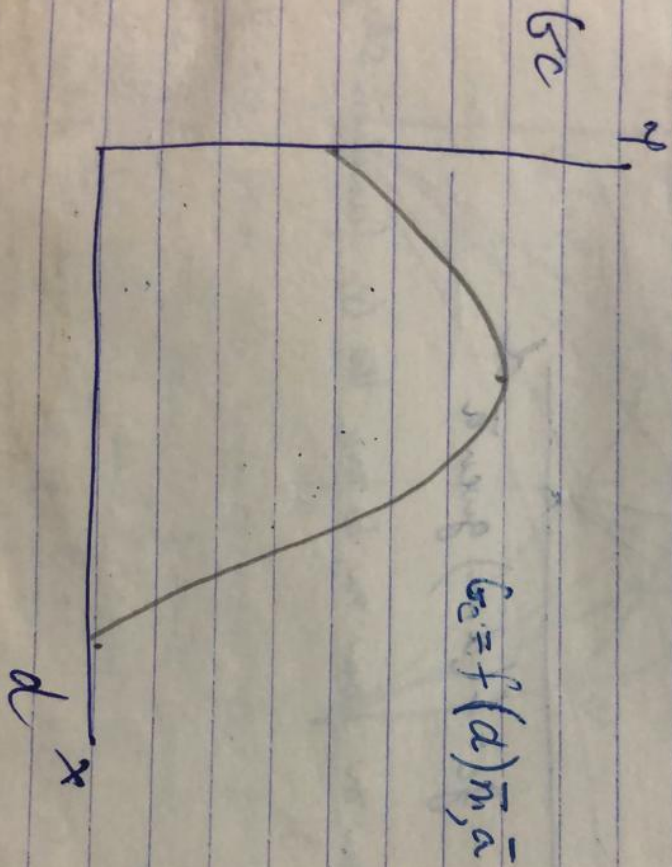
- ① negative rel'p bet G_D & m .
- ② \therefore lower m = larger G_D (\therefore of layer A & R&D expenses, \therefore larger prop. of successful prods, \therefore higher growth of G_D ($g_3 > g_2 > g_1$))



- ① The average rate of profit is constant along any G_D curve.
- ② Curve shifts downwards as m falls ($m_1 < m_2 < m_3$). due to -ve rel'p. bet G_D + m .
- ③ At any given rate of diversification d_0 and m_3 (higher profits), the grth rate of demand for is $G_{D1} = f(d, m_3)$ which slopes positively. but slope declines with increase in \uparrow of diversification
- ④ As \underline{m} falls the G_D function shifts up
- ⑤ With given \underline{d} & demand functions $G_{D2} \geq G_{D3}$ the grth rate of demand for prod. of firm falls to G_2 + G_3 respectively.

firm can
to firm

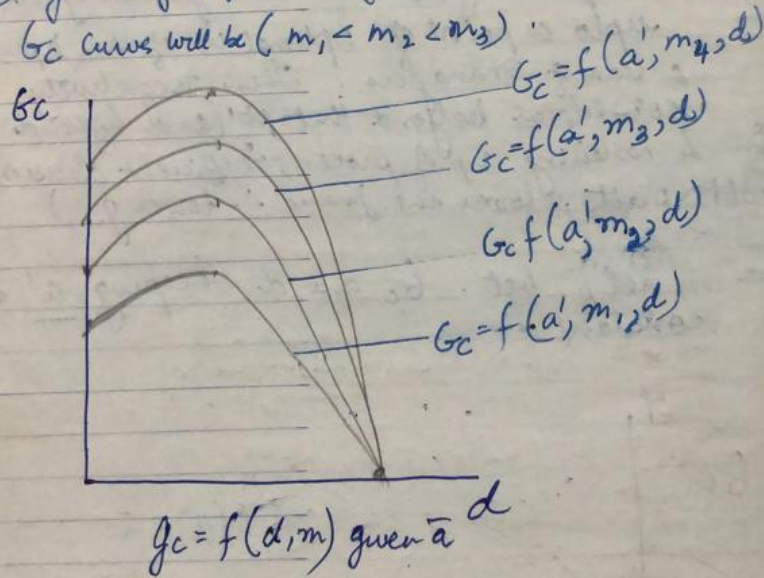
⇒ Relp bet. ϵ_c and d keeping a, m, \bar{a} constant -



\Rightarrow ① If we allow both d & m to Δ keeping a' constant we get a family of $G_c = f(d, m)$ curves.

② avg. profit is a shift factor of $G_c = f(d)$ curve.

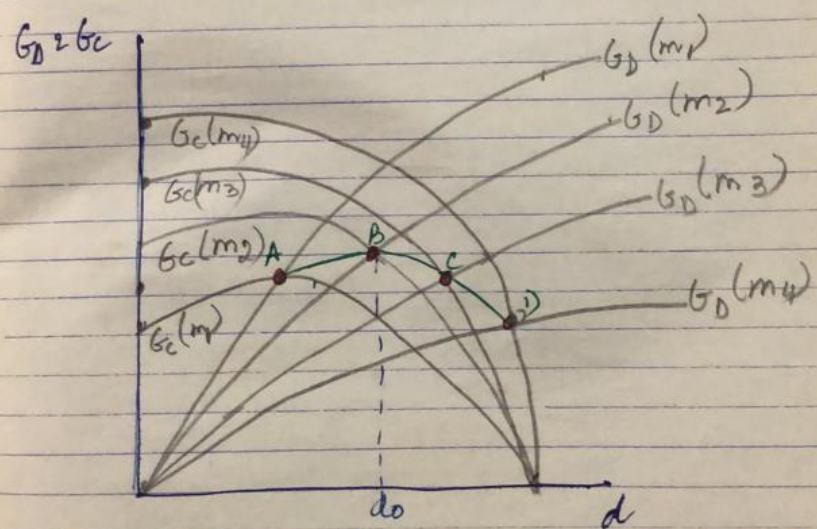
③ higher avg profit, the further from origin the G_c curves will be ($m_1 < m_2 < m_3$).



\rightarrow with \uparrow in m from m_1 to m_4 , the G_c function shifts up.

Equilibrium of the firm

- where both G_D and G_C are maximised
- to show this we superimpose $G_D + G_C$ functions. curves associated with a given profit rate, for eg. $G_C + G_D$ curves assoc with m_1 intersect at point A. and so on.



- If we join all intersection points A, B, C, D we get the balanced growth curve (BGC) given financial coefficient \bar{a} .
- Equilib at highest pt of BGC. ABCD. which is pt B. \therefore (E) at B. where rate of d is d_0 and equilb grth rate is $G_D = G_C$